

Name of the Student: \_\_\_\_\_

Max. Marks : 20 Marks

Time : 20 Minutes

Mark Schemes

**Q1.**

- (a) Conversion of  $1230 \text{ km h}^{-1}$  to  $\text{m s}^{-1}$

*Expect to see  $342 \text{ m s}^{-1}$  (341.7)*

OR

Calculates time for  $343 \text{ m s}^{-1}$  run

*Expect to see 4.69 s*

OR

Calculates total time (using total distance, 3.22 km, and speed record)

*Expect to see 9.42 s*

OR

Calculates unknown speed ✓

*Expect to see  $340.3 \text{ m s}^{-1}$*

Answer that rounds to 4.73 (s) ✓

*Do not accept 2sf for final answer.*

2

- (b) speed from graph:  $450 \text{ m s}^{-1}$  ✓

*Accept 445 - 455  $\text{m s}^{-1}$*

Use of their speed and KE equation to give consistent answer ✓

*Expect to see  $6.6 \times 10^8 \text{ (J)}$*

2

- (c) **MAX three** from: ✓✓✓

- Use of graph to determine gradient
- Uses (their) speed and (their) gradient to give acceleration
- Use of  $F = m \times$  (their  $a$ ) to give resultant force
- Use of  $P =$  (their  $F$ ) $\times$  (their speed)

Final answer between 16% and 17% ✓

*Expect to see  $450 \text{ m s}^{-1}$  for their speed*

*Evidence for gradient may be on figure*

*Allow ECF from (b)*

- $\frac{450}{5600} = 0.080(4)$
- *Expect to see  $450 \times 0.08 = 36(.2) \text{ m s}^{-2}$*
- *Expect to see  $2.35 \times 10^5 \text{ N}$*

• Expect to see  $450 \times 2.35 \times 10^5 = 106 \text{ MW}$

Reject power that is calculated assuming a constant speed.

4

- (d) Identifies distance decelerating

**AND**

max velocity =  $(470 \pm 5) \text{ m s}^{-1}$  ✓

Uses *suvat* equation(s)

to get  $a = (-) 15 \text{ m s}^{-2}$  which is less than  $3g$  (so yes). ✓

*allow 7000 m to 7600 m*

*allow answer consistent with their distance that rounds to 15 or 16*

*give full credit to calculations that show that an acceleration of  $3g$  would stop the car in a (much) shorter distance, with a statement that this means that the actual acceleration must be (much) less than  $3g$ .*

*For MP2 allow calculation of*

*gradient  $\times$  average speed to give*

*$a = (-) 15 \text{ m s}^{-2}$  which is less than  $3g$  (so yes)*

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## Q2.

- (a) Evidence of appropriate use of Figure 1 e.g.

$$105 \times 10^6 \div 7.5 \times 10^{-4}$$

*Some evidence that Figure 1 is used:*

*calculation based on a point on line between 75 MPa and 125 MPa*

*OR calculation from point on straight line extended*

*OR*

*Use of triangle from more than half of the linear section.*

leading to an answer in the range  $1.38$  to  $1.42 \times 10^{11} \text{ Pa}$  ✓

*Allow 2 sf answer  $1.4 \times 10^{11} \text{ (Pa)}$ .*

1

- (b) Idea that wire undergoes only (very) small (increase in) strain beyond the linear section before fracture ✓

*Reject idea that there is **no** increase in strain.*

*Condone 'extension' or '(plastic) deformation' for 'strain'.*

*Condone 'shortly after' for 'beyond'*

*Accept: does not show 'necking' before fracture*

*Accept: fracture occurs very near the limit of proportionality (condone 'elastic limit').*

*Accept references to a particular value of strain e.g.  $9 \times 10^{-4}$  to  $12.7 \times 10^{-4}$*

1

- (c) Evidence of determination of total load or load on one wire ✓

(halves load)

Use of  $E = \frac{(\text{their } F) \times L}{\Delta L}$  ✓

$$\Delta L = 1.1(4) \times 10^{-3} \text{ (m)} \quad \checkmark$$

$$\text{Total load} = (4.4 + 16.0) \times 9.8(1) = 200(.1) \text{ N}$$

Allow 'g' for 9.8(1)

Expect to see  $F = 100 \text{ N}$  and

$A = 5.03 \times 10^{-7} \text{ m}^2$ . Condone use of  $d$  in calculation of cross-sectional area  $A$  in MP2.

Or separate calculations using  $\sigma = F \div A$ ,  $E = \sigma \div \text{strain}$ ,  $\text{strain} = \Delta L \div L$

Condone POT error in MP2.

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(d) Evidence of extension/strain in each wire is the same  $_1 \checkmark$

Substitutes data leading to  $F_a = 1.33 F_s$   $_2 \checkmark$

Calculates  $F_s$  or  $F_a$   $_3 \checkmark$

Evidence of an attempt at a moment equation  $_4 \checkmark$

Distance = 1.18 m  $_5 \checkmark$

$\Delta L = \{FL \div AE\}$  steel =  $\{FL \div AE\}$  aluminium  $\{F \div d^2 E\}$  steel =  $\{F \div d^2 E\}$  aluminium  $_1 \checkmark$

$$\frac{F_s}{0.8^2 \times 210} = \frac{F_a}{1.6^2 \times 70}$$

$$F_a = 1.33 F_s \text{ OR } F_s = 0.752 F_a \quad _2 \checkmark$$

$$1.33 F_s + F_s = 200 \text{ N}$$

$$F_s = 86 \text{ N}, F_a = 114 \text{ N} \quad _3 \checkmark$$

Attempt to take moments about A or B or other suitable point, expect to see  $16.0gx = 228 - 4.4g$   $_4 \checkmark$

Note that an answer of 1.14 m comes from not taking into account the weight of the beam

Award **max 4** for this approach.

ECF for MP2 and MP3 in MP4

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