

Name of the Student: _____

Max. Marks : 24 Marks

Time : 24 Minutes

Mark Schemes

Q1.

- (a) Diagram with 1 AU, 1 pc and $\frac{1}{3600}^\circ$ labelled ✓
 Allow 1 arc second or 1" or $2.8 \times 10^{-4}^\circ$
 or 4.8×10^{-6} rad for angle.
 1 AU can be shown as Sun-Earth distance.
 Condone 'au' for 'AU'.
 1 pc can be either long side. Condone label d for 1 pc.

1

- (b) B ✓

1

- (c) evidence of 10^x seen

OR

evidence of 0.11 - (-7.84) seen ✓
 condone 0.11 + 7.84 provided m-M seen.

$d = 390$ (pc) ✓
 Calculator value is 389.0451

2

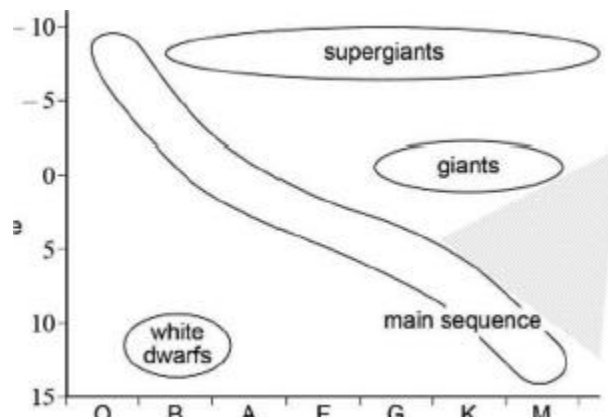
- (d) Line coming in from the right to mag 5/class G

then to giants and

then to white dwarfs (in that order) ✓

Condone lack of arrow.

The shaded area shows the acceptable region for the initial line (from protostar).



1

(e) (GRB produced when) supergiant collapses ✓

(and) forms a neutron star **OR** a black hole ✓

Ignore references to 'supernova'

2

[7]

Q2.

(a) Final image at infinity. ✓

Accept answers which describe how the telescope is set up with named lenses unless f_o and f_e are used e.g.

the focal plane/point of the eyepiece and objective lenses are co-incident.

OR

'distance between lenses is $f_o + f_e$ '

Condone 'rays leaving eyepiece/entering eye are parallel'

If F_o and F_e are used they must be defined.

1

(b) 100 converging 5 converging ✓

1

(c) (Each step on magnitude scale is 2.51)

(Hence) $2.51^x = 40$

$x = \log_{2.51} (40) = 4(.01)$

OR

Adding 6 to their x ✓

$(6 + 4 =)10$ ✓

Condone trial and error ($2.51^1, 2.51^2, \dots$).

Award MAX 1 if no working shown for a bald correct answer.

2

(d) (Collecting power of telescope is)

$$\left(\frac{60}{7}\right)^2 = 73 \text{ or } 74 \text{ (times greater than naked eye)} \checkmark$$

MP1 can be given for 73 or 74 seen.

Accept $\left(\frac{7}{60}\right)^2 = 0.014$ for MP1

73 (or 74) is greater than 40 so the astronomer can see WASP-82. \checkmark

Allow an ecf in MP2 from '8.6 times greater'

$\frac{60}{7} = 8.6$, with idea that 8.6 is less than 40 and therefore astronomer cannot see Wasp-82.

Allow ecf in MP2 for an arithmetic error in MP1.

2

(e) Two clear reasons given $\checkmark\checkmark$

Correct justification linked to one reason \checkmark

Reason	Justification
Better/greater quantum efficiency	A greater proportion of (incident) photons are detected
Can expose for long periods / many images can be combined	More light is collected / better image contrast
Can operate remotely	The telescope can be positioned where light pollution/atmospheric absorption is minimised
Idea that it can detect (more) wavelengths beyond the visible	More energy is collected from the star

MAX 3

If no justification given then **MAX 2**.

In the first row:

Do not allow 'efficiency' alone.

The reason and justification marks can both be awarded for an answer based on the definition of 'quantum efficiency' e.g. a greater proportion/percentage of the incident photons are detected (by the CCD).

In the justification condone 'light' for 'photons' and condone 'number' for 'proportion'

Treat 'image processing' as neutral.

Ignore references to resolution.

3

[9]

Q3.

(a) An object that has an escape velocity greater than the speed of light.

Reject idea of 'beyond' or 'past' the event horizon if the direction is unclear.

OR

An object that has a gravitational field strength that is so great that light cannot escape. \checkmark

$$(b) \quad R_s = \frac{2GM}{c^2} = \frac{2 \times 6.67 \times 10^{-11} \times 6.5 \times 10^9 \times 1.99 \times 10^{30}}{(3 \times 10^8)^2} \quad 1 \checkmark$$

Angle subtended by region around event horizon of black hole

$$= \frac{1.917 \times 10^{13} \times 2 \times 1000}{5.3 \times 10^7 \times 9.46 \times 10^{15}} = 7.64 \times 10^{-8} \text{ (rad)} \quad 2a \checkmark$$

$$\text{resolution of EHT} = \left(\frac{1.3 \times 10^{-3}}{1.3 \times 10^7} \right) = 1.0 \times 10^{-10} \text{ (rad)}$$

OR

$$\text{resolution of Hubble} = \left(\frac{410 \times 10^{-9}}{2.4} \right) = 1.71 \times 10^{-7} \text{ (rad)} \quad 3 \checkmark$$

Both resolutions calculated correctly **and** conclusion drawn that EHT is better than Hubble. $4 \checkmark$

Condone rounding errors in this question.

Award MP1 for $R_s = 1.9(17) \times 10^{13} \text{ (m)}$ seen

Condone missing mass of Sun (1.99×10^{30}) in MP1

Condone missing '2' in MP2.

*Award MP2 for $7.6(4) \times 10^{-8}$ **OR** $3.8(2) \times 10^{-8}$ seen.*

Allow POT error in MP1 and MP3

ALTERNATIVE

$$R_s = \frac{2GM}{c^2} = \frac{2 \times 6.67 \times 10^{-11} \times 6.5 \times 10^9 \times 1.99 \times 10^{30}}{(3 \times 10^8)^2} \quad \checkmark$$

One resolution calculated $2 \checkmark$

Determination of the size of the object that can be resolved by a telescope at the distance of black hole

*For EHT size = $5.0 \times 10^{13} \text{ (m)}$ **OR***

For Hubble size = $8.6 \times 10^{16} \text{ (m)}$ $3 \checkmark$

*Both sizes calculated correctly **and** conclusion drawn that EHT is better than Hubble. $4 \checkmark$*

$$(c) \quad \text{Evidence of difference in wavelength} = 374.96 - 373.53 \quad \checkmark$$

$$(\text{= } 1.43 \text{ nm})$$

$$\text{Evidence of sum of wavelengths} = 374.96 + 373.53 \quad \checkmark$$

$$(\text{= } 748.49 \text{ nm})$$

$$(z = \frac{\Delta\lambda}{\lambda} = \frac{0.72}{374.25} = 1.9 \times 10^{-3})$$

$$(\nu = zc = 1.9 \times 10^{-3} \times 3.00 \times 10^8 =)$$

$$5.7 \times 10^5 \text{ (m s}^{-1}\text{)} \quad \checkmark$$

MP1 can be given for determination of $\Delta\lambda$ (= 0.72 nm)

MP2 can be given for determination of average (= 374.25 or 374.24(5) nm)

Alternative method for z:

$$z = \frac{374.96 - 373.53}{374.96 + 373.53} = 1.9 \times 10^{-3}$$